SUR	CODE:	18TIN	MMA	C15
SUD	CUPE.	1001	TTAT	

REG.NO:			



DHANALAKSHMI SRINIVASAN COLLEGE OF ARTS & SCIENCE FOR WOMEN (AUTONOMOUS)



(For Candidates admitted from 2018-2019 onwards)

UG DEGREE EXAMINATIONS APRIL – 2021

B.SC – MATHEMATICS

				DYNA	MICS			
		Time: 3 Hrs					Max.Marks: 75	
CF	100	SE THE CORREC	Γ ANSWER	PAR	T-A		(10*1=10)	
		Total distance divide		anals			(10 1-10)	
		a) Average speed				laration	d) Instantaneous speed	
	2	The displacement of					d) Instantaneous speed	
	۷.	a) Scalar			a) C1	1 V		
	2		b) Vector			r and Vector		
	3.	3. A particle projected into the air in any direction and with any velocity such a particle to called a						
		a) Projectile	b) Velocity		c) Direc	tion	d) None	
	4.	The maximum horizon	ontal range is					
		a) u^2/g	b) u/g		c) 2u		d) u ²	
	5.	A solid body has ashape						
		a) Definite	b) Infinite		c) Finite		d) None	
	6.	. A body does not come to its original shape is said to be						
		a) Perfectly elastic b) Perfectly Inelastic						
		c) Impinge directly	Impinge directly d) Impinge obliquely					
	7.	. Given Example of SHM						
		a) Pendulum	b) violin		c) Both	(a)and(b)	d) none of these	
	8.	The periodic time of	P=				a) none of these	
		a) √2Π/μ			c) 0		d) 1	
	9	The magnitude of radial component of velocity is					u) i	
		a) r				1)		
	10		b) ř		c) řθ		d) rr	
	10	0. In certain curves the relation between p and r is very simple. Such the relation is called						
		a) Polar equation				b) pedal equat	tion	
		c) Equation of rectan	gular			d) equiangula	r spiral	

ANSWER ALL THE QUESTIONS

(5*7=35)

11. a) State and prove the parallelogram law

(OR)

- b) Two man walking along a level road at 5km/h, the rain appears to be beating into his face at 8km/h at an angle 60^0 with the vertical. Find the true direction and velocity of the rain.
- 12. a) To Show that the path of the projectile is a parabola

(OR)

- b) Find the velocity of the projectile in magnitude and direction at the end of time.
- 13. a) A particle falls from a height h upon a fixed horizontal plane, if e be the coefficient of restitution, show that the whole distance described before the particle has finished rebounding is $h\left(\frac{1+e^2}{1-e^2}\right)$

(OR)

- b) Oblique impact of two smooth spheres.
- 14. a) General solution of the simple harmonic motion equation

(OR)

- b) Composition of two simple harmonic motions of the same period and in the same straight line.
- 15. a) The velocities of a particle along and perpendicular to a radius vector from a fixed origin are λr^2 and $\mu \theta^2$, where μ and λ are constants. Show that the equation to the path of the particle is $\frac{\lambda}{\theta} + c = \frac{\mu}{\theta^2}$ where is a constant. Show also that the accelerations along and perpendicular to the radius are $2\lambda^2 r^2 \frac{\mu^2 \theta^2}{r}$ and $\mu(\lambda r \theta^2 + \frac{2\mu \theta^3}{r})$ (OR)
 - b). Write a note on equiangular spiral

PART-C

ANSWER ANY THREE QUESTIONS

(3*10=30)

- 16. Describe the motion in a straight line under uniform acceleration.
- 17. Characteristics of the motion of a projectile.
- 18. Write down loss of kinetic energy due to direct impact of two smooth spheres.
- 19. Show that the resultant of two simple harmonic motions in the same direction and of equal periodic time, the amplitude of one being twice that of the order and its phase a quarter of a period in advance, is a simple harmonic motion of amplitude $\sqrt{5}$ Times that of the first and whose is an advance of the first by $\frac{\tan^{-1} 2}{2\pi}$ of a period.
- 20. State and prove pedal equation of the central orbit.